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a) $p = 0.9$ 89.5
90.5

$np = 100(.9) = 93$

$ng = 100(.1) = 7$

$\mu = 93$ $\sigma = \sqrt{100(.9)(.1)} = 2.95$

$\frac{89.5 - 93}{2.95} = -1.3725$

$\frac{90.5 - 93}{2.95} = -.9804$

Normal CDF lower = -1.3725
 upper = -.9804

$\mu = 93$
 $\sigma = 2.95$

b) 89.5 -

-1.3725
 99999
 0
 1

.9151



-99999
 c) -1.3725
 0
 1

.0849

d) none are less than 0.05

$$295 \neq 55$$

$$u = n\hat{p} = 76$$

$$\sigma = \frac{20.5}{\sqrt{35}} = 3.465$$

$$56) u = 108.3$$

$$\sigma = \frac{35.1}{\sqrt{40}} = 5.55$$

$$59) a) \sigma = \frac{1500}{\sqrt{45}} = 223.6$$

$$\frac{29000 - 29200}{223.6} = \overset{\text{upper}}{-.8945}$$

$$= .1855$$

~~upper~~

$$b) \frac{31000 - 29200}{223.8} = 8.04 = \text{lower}$$

$$\textcircled{0.4} \times 10^{-16} \approx 0$$

$$60) \frac{250}{\sqrt{36}} = 41.67$$

$$a) \frac{1400 - 1300}{41.67} = 2.3998 \rightarrow \text{upper}$$
$$P(< 1400) = .9918$$

$$b) \frac{1150 - 1300}{41.67} = -3.6882 \rightarrow \text{lower}$$
$$P(> 1150) = .9998$$

$$61) \frac{500,000}{\sqrt{15}} = 129,099.44$$

$$\frac{1,125,000 - 1,500,000}{129,099.44} = -2.9047 \text{ - upper}$$

$$P(\leq 1.125) = .0018$$

$$62) \frac{30}{\sqrt{15}} = 7.7460$$

$$\frac{525 - 500}{7.7460} = 3.2275 \text{ - lower}$$

$$P(> 525) = .0006$$

$$63) np = 12(.96) = 11.52$$

$$nq = 12(.04) = 0.48$$

cannot use normal distribution
because $nq < 5$

$$64) np = 30(.75) = 22.5$$

$$nq = 30(.25) = 7.5$$

yes

$$\mu = 22.5$$

$$\sigma = \sqrt{30(.75)(.25)}$$

$$\sigma = 2.37$$

$$69) \quad 45(.67) = 30.15$$

$$45(.33) = 14.85$$

yLS

$$\frac{20 - 30.15}{.4702}$$

$$\mu = 30.15$$

$$\sigma = 3.154$$

$$\frac{3.154}{\sqrt{45}} = .4702$$

-21.5
upper

$$P(< 20) \approx 0$$

$$70) \quad 15(.31) = 4.65$$

cannot use normal distribution

$$11) \quad 35(.81) = 28.35$$

$$35(.19) = 6.65$$

yes

$$\mu = 28.35$$

$$\sigma = \sqrt{35(.81)(.19)}$$

$$= 2.3209$$

$$12) \quad \frac{20.5 - 28.35}{2.3209} = -3.3823 \quad \text{-upper}$$

$$P(\leq 20) = 3.594 \times 10^{-4}$$

event is extremely unusual because the probability is much less than 0.05