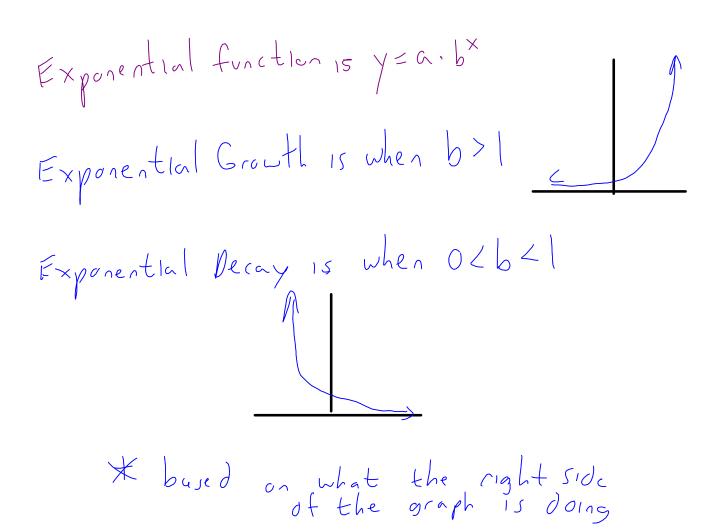
Bell Work: 1-31-19 day 1 2 3 4 5 6 7 8 9 10 11 12

Your team wants to practice a drill for a certain amount of time each day. Which plan will give your team more total practice time over 4 days? Over 8 days?. Explain your reasoning.

Plan 1: 5 minutes today, then 1 minute

Plan 1: 5 minutes today, then 1 minute more each day that the previous day

Plan 2: 1 minute today and then twice as much time each day as the previous day.



Identify the initial amount a and the growth factor b in each exponential y=~b× function.

$$\int f(x) = 3 \cdot 5^x$$

$$\int h(x) = 5 \cdot 1.02^x$$

## Find the balance in each account after the given period.

3) \$2000 principal earning 5.4% compounded annually, after 4 yr 54% = .054 2000(1+.054) y = 0  $(1+r)^{1/2}$   $2000(1.054)^{4}$   $2000(1.054)^{4}$  2000(1.234134355) 2468, 26882468, 27 Identify the initial amount a and the decay factor b in each exponential a = b

$$y = 4 \cdot 0.2^{x}$$

$$F_{0} = 4 \cdot 0.2^{x}$$

Tell whether the equation represents exponential growth, exponential decay, or

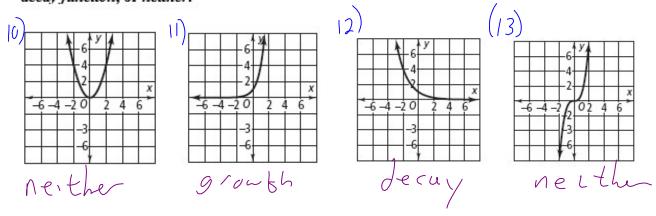
$$f(x) = 6 \cdot 0.5$$

The town manager reports that incoming revenues for a given year were \$2 million. The budget director predicts that revenues will increase by 4% per year. How much revenue will the town have available 10 years from the date of the town manager's report if the equation that models the growth is

date of the town manager's report if the equation that models the growth is
$$f(x) = 2,000,000 \cdot (1.04)^{x?}$$

$$f(x) = 2,000,000 \cdot (1.04)^{x}$$

Tell whether each represents an exponential growth function, an exponential decay function, or neither.



Ticket out the door: Write equation and solve.

A family buys a car for \$20,000. The value of the car decreases about 20% each year. After 6 years, the family decides to sell the car. How much is the car worth after 6 years?

(Hint: 20% decrease means the car is keeping 80% value. So 1-.20 = .80.)

Equation:  $y = $20,000(0.80)^x$