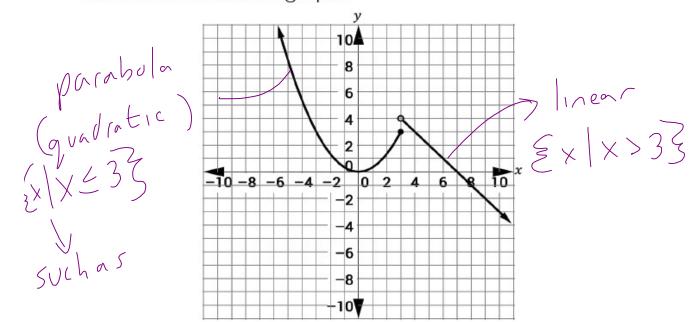
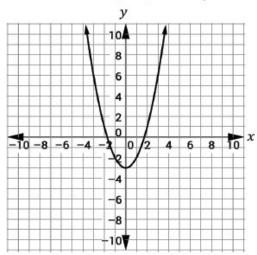
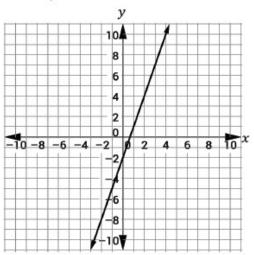
## Section 3 – Topic 1 Introduction to Piecewise-Defined Functions – Part 1

Consider the following piecewise-defined function, and make observations about its graph.



Consider the graphs of  $y = x^2 - 3$  and y = 3x - 2.





Consider the following piecewise-defined function.



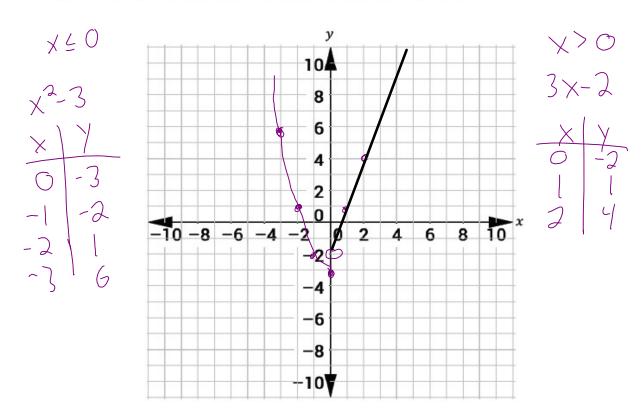
$$f(x) = \begin{cases} x^2 - 3, & x \le 0 \\ 3x - 2, & x > 0 \end{cases}$$

 $f(x) = \begin{cases} x^2 - 3, & x \le 0 \\ 3x - 2, & x > 0 \end{cases}$ The defined domain of the function  $x^2 - 3$  is

The defined domain of the function 3x - 2 is \_\_\_\_\_\_\_.

This means that each of these functions is graphed only for the x-values identified in the defined domain.

Use the graphs of  $y = x^2 - 3$  for  $x \le 0$  and y = 3x - 2 for x > 0 to graph the piecewise-defined function.

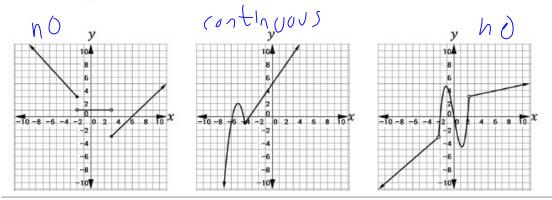


Let's note some features of the graph.

- The domain of the piecewise graph can be represented with intervals. We can define interval A as  $x \le 0$  and interval B as  $\underline{\times} > \bigcirc$ .
- Over interval A, the function is  $\frac{2 \times 1 \times 403}{1 \times 1 \times 103}$ , and it is  $\frac{2 \times 1 \times 203}{1 \times 100}$  over interval B.
- The graph is nonlinear (curved) when the domain is  $-\infty$ ,  $-\infty$ .
- The graph is linear when the domain is  $(0, \emptyset)$ .

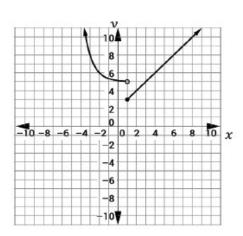
- There is one open circle on the graph, which means that the particular value, x = 0, is  $n \neq t$  in that piece of the function. This illustrates the constraint that y > 0.

Consider the following graphs of piecewise functions. Which ones do you think would be considered continuous?



## Try It!

Consider the graph below of a piecewise function.



a. Over what interval(s) is the function increasing?

Over what interval(s) is the function decreasing?  $\begin{cases} \chi & |\chi| \leq 3 \\ \text{What is the domain of the nonlinear piece?} \end{cases}$ 

d.

What is the range of the function?

Does the graph represent a function? Explain how you know. Yes, each x value has exactly one y value. f.

g. Is this piecewise function continuous?  $\cap$ 

section 3 topic 1 introduction to piecewise functions part 1 11-8 p2.noteboo November 08, 2019